

Proposed by Bernardo Ábrego and Silvia Fernández

September 25-October 2



Let ABC be a triangle with a right angle at A. Let D be the foot of the altitude through A, and  $I_1$ ,  $I_2$  the incenters of triangles ABD and ADC. The circle with center A and radius ADcuts  $\overline{AB}$  in K and  $\overline{AC}$  in L.

Prove that  $I_1, I_2, K$ , and L are on a line.

This contest is sponsored by the Mathematics Department. Open to all CSUN students. Winner gets \$5 or an equivalent prize. All complete and correct solutions get a certificate. Type and send your solution before October 2nd, 9:00PM to **silvia.fernandez@csun.edu**. All steps of the solution must be clearly justified.

For rules, winners, solutions, and more information visit: **www.csun.edu/math/probweek**